

International Seminar on ORC Power Systems, TU Delft, 2011

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Exergoeconomic analysis of a geothermal Organic Rankine Cycle with zeotropic fluid mixtures

Motivation

Geothermal power generation



Application

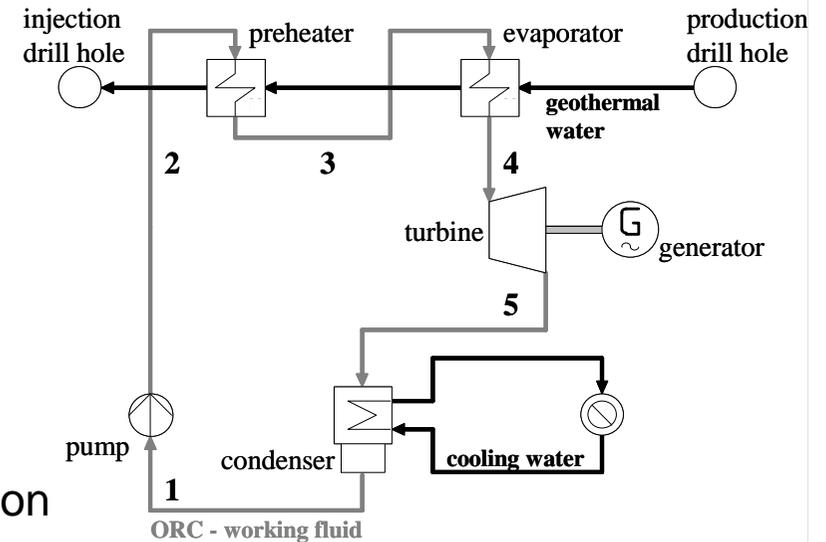
Geothermal power generation in Germany

Objectives

- Zeotropic mixtures as working fluids
- Variation of ΔT at pinch point
- Identification of optimal process parameters
- Minimal specific costs for electricity generation

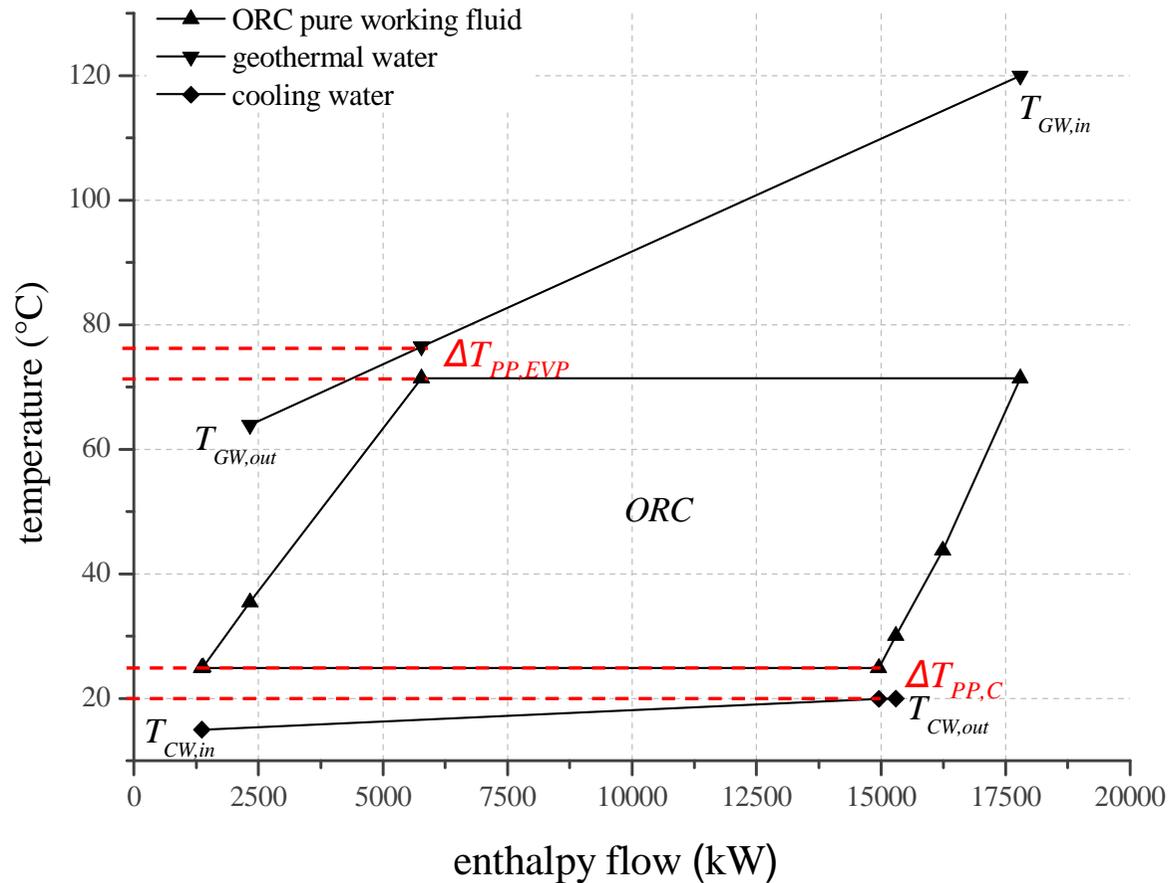
Methods

- Exergy Analysis
- Economic Analysis
- Exergoeconomic Analysis



Thermodynamics

ORC with pure fluids as working fluid

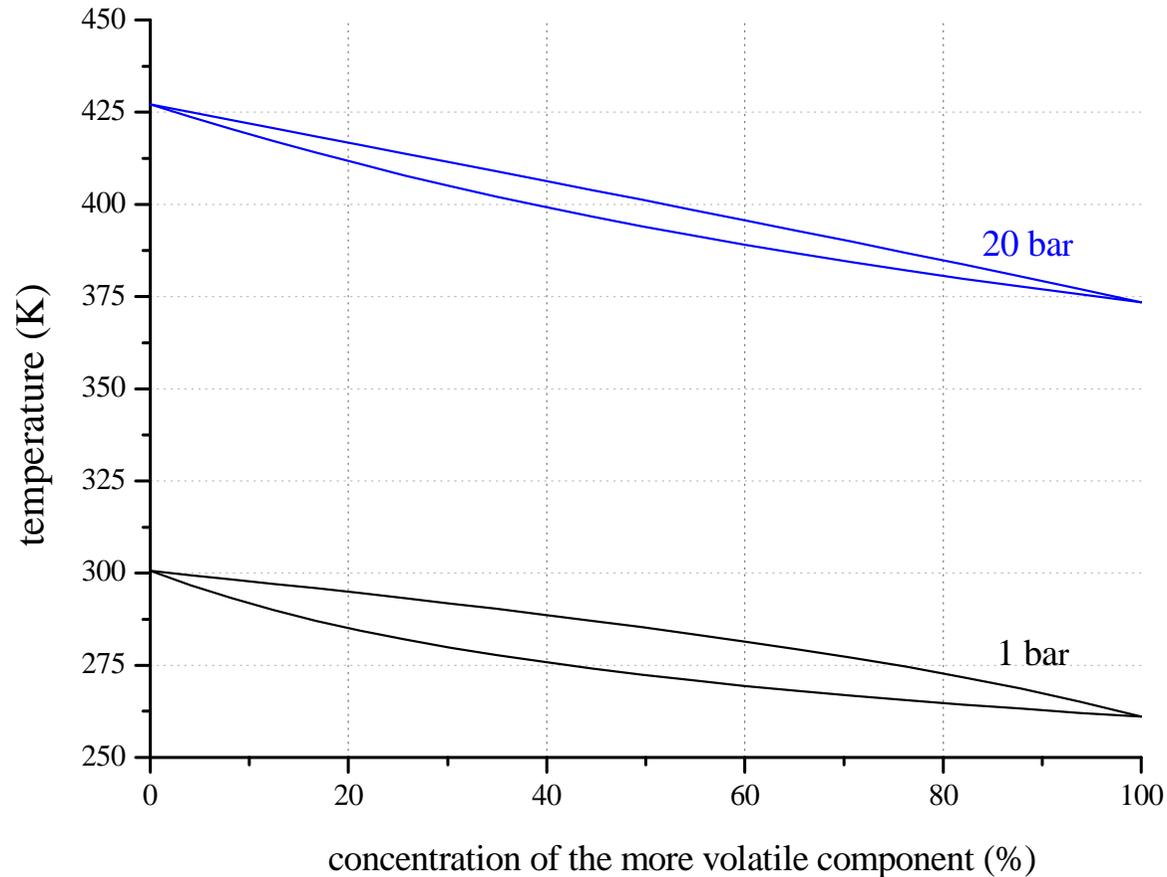


→ Adaption of working pressure to minimum temperature difference in the heat transfer units ($\Delta T_{PP,k}$)

Thermodynamics

Non-isothermal phase change of zeotropic mixtures

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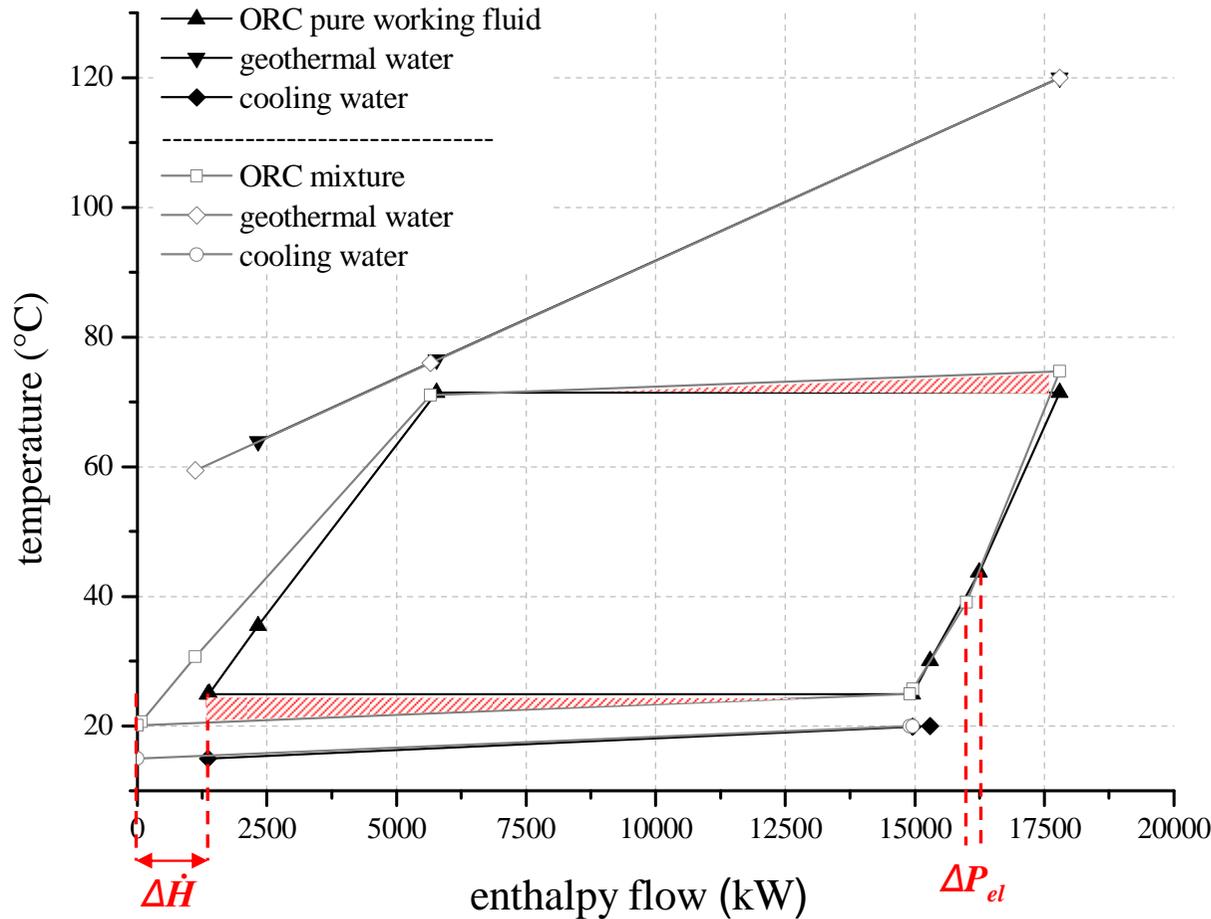
→ Non-isothermal phase change of zeotropic mixtures

→ Better glide matching at evaporation and condensation



Thermodynamics

ORC with a zeotropic mixture as working fluid



→ Higher amount of heat is coupled to the process

→ Higher power output

→ Lower irreversibilities at phase change



Methods

Software and parameters



Process simulation

- Software: Matlab
- Fluid properties: RefProp Version 8.0 (NIST)

Optimization

- Outlet temperature of heat source is adapted to the maximum power output

Geothermal parameters

temperature of geothermal water	120 °C
mass flow rate of geothermal water	65 l/s

ORC boundary conditions

inlet temperature of cooling water	15 °C
temperature difference of cooling water	5 K

Methods

Exergy analysis



Second law analysis

- Second law efficiency:

$$\eta_{II} = \frac{|P_T + P_P|}{\dot{m}_{GW}e}$$

- Irreversibilities

$$\dot{i} = T_0 \frac{ds_g}{dt} = \dot{m}T_0 \left[\sum_{out} s - \sum_{in} s - \sum_i \frac{q_i}{T_i} \right]$$

- Dead state

$$T_0 = T_{\min, System} = T_{CW, in} \quad p_0 = 1.013 \text{ bar}$$

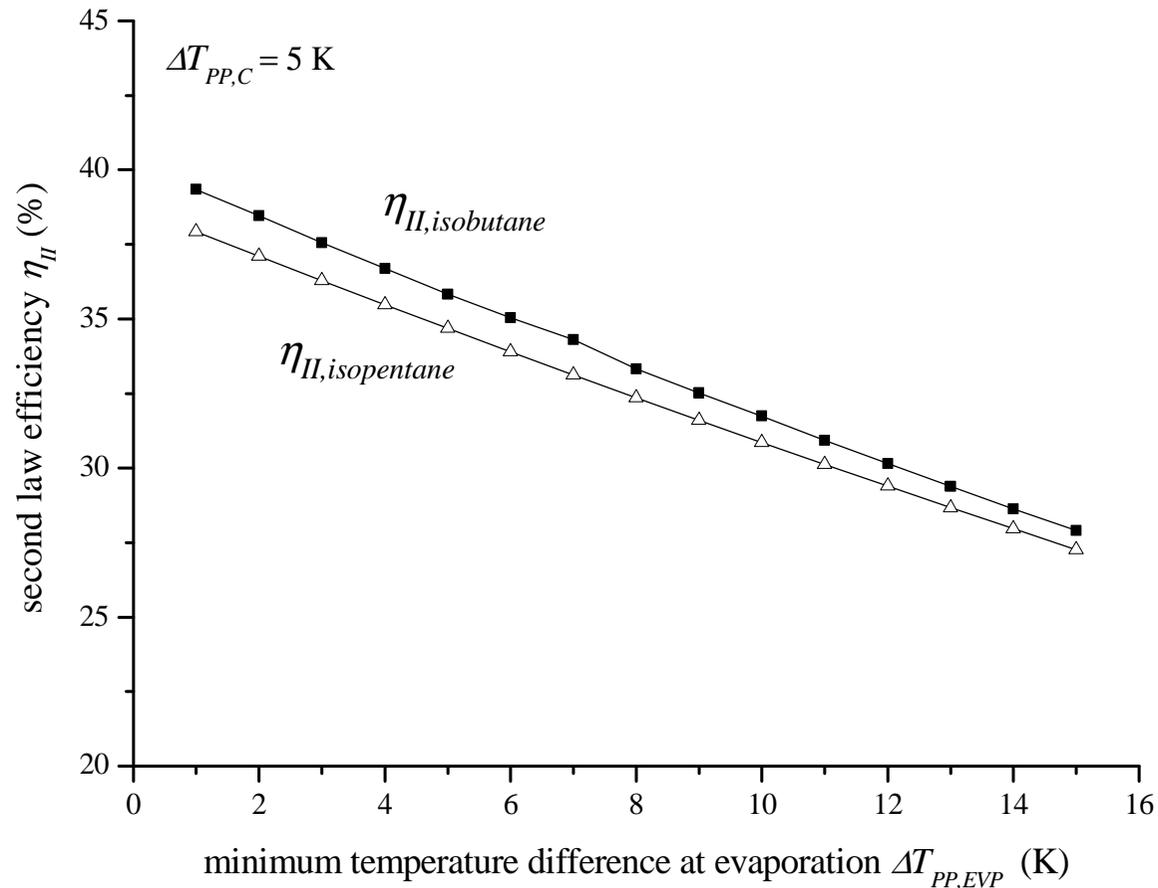
Case Studies

- Fluids: isobutane/isopentane
- Parameter variation: $\Delta T_{PP,k} = 1 \dots 12 \text{ K}$



Results

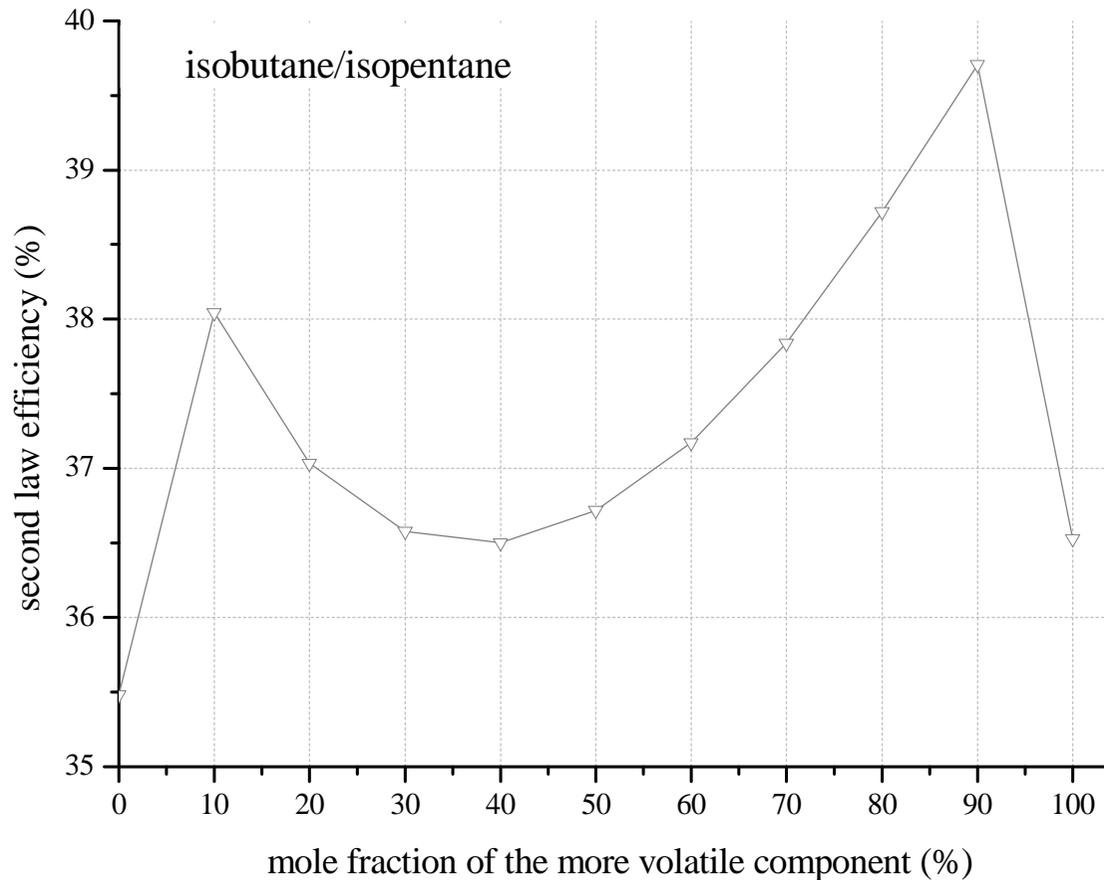
Variation of temperature difference at the pinch point



→ Lower temperature differences lead to higher efficiency, due to higher process pressures and higher amount of transferred heat

Results

Second law efficiency



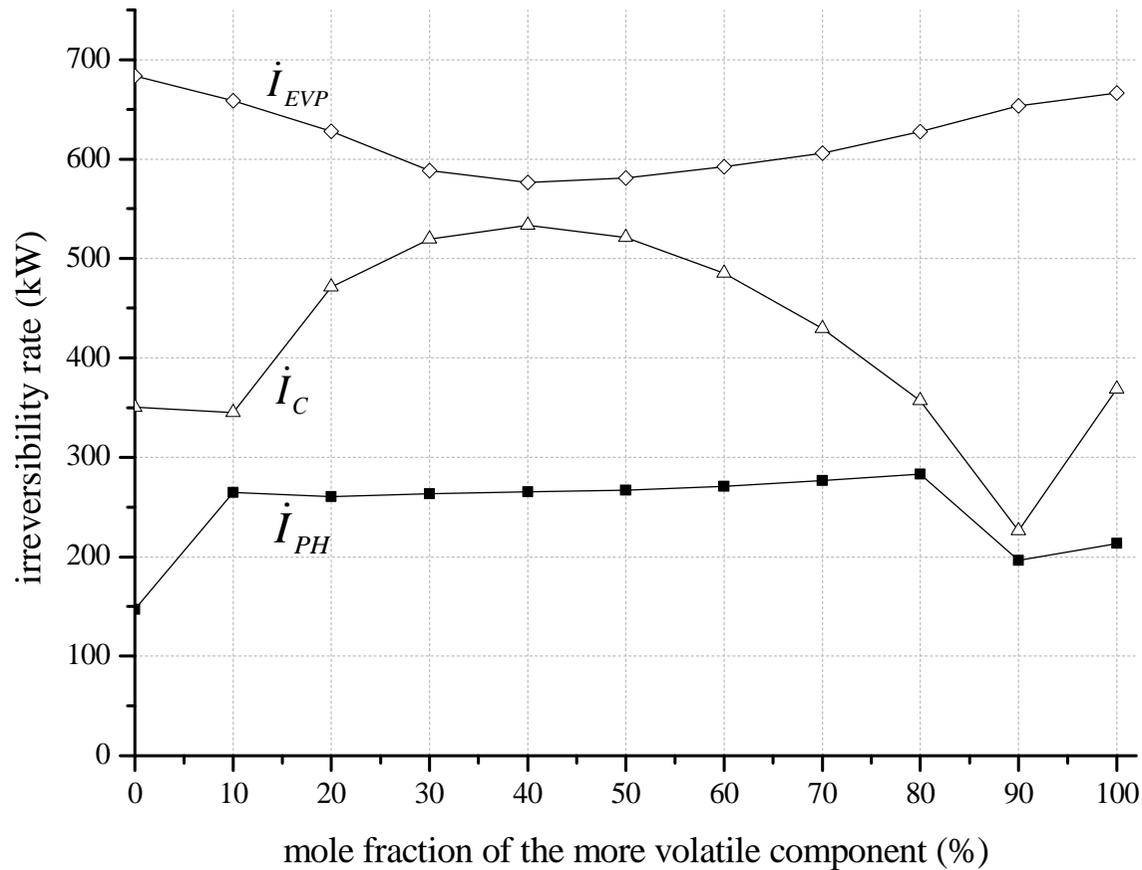
→ Local maxima for efficiency according to glide match of the temperature profiles in the condenser

$$\frac{\eta_{II,90/10}}{\eta_{II,Isobutan}} = 7.7\%$$

$$\frac{\eta_{II,90/10}}{\eta_{II,Isopentan}} = 15.4\%$$

Results

Irreversibilities

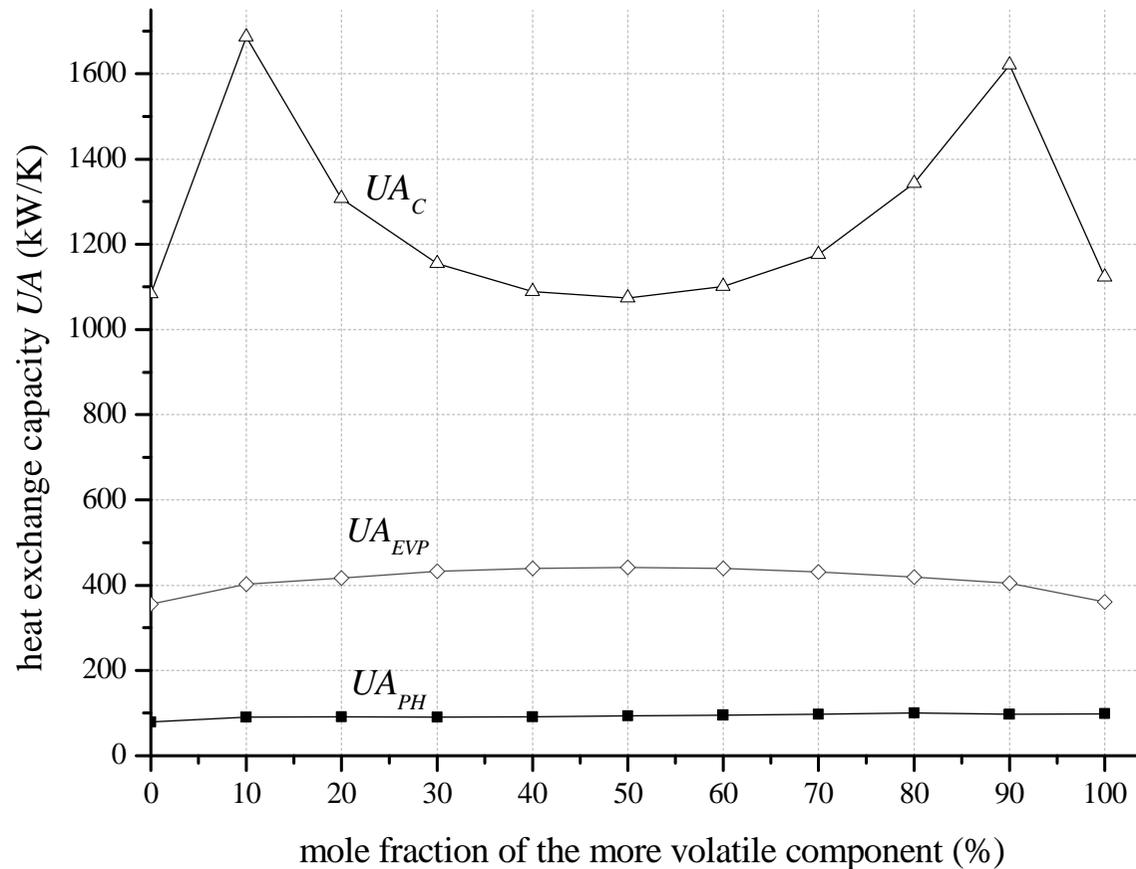


→ Lowest irreversibilities for mixtures

→ Temperature glide equal to temperature difference of cooling water

Results

Heat exchange capacity



→ High UA-values for the condenser because of a higher amount of heat and the lower thermodynamic mean temperatures

→ Heat transfer coefficient of mixtures is reduced compared to pure fluids

→ Economic analysis



Purchased equipment costs (PEC)

- Empiric correlation for pumps, turbines and heat exchanger equipment based on manufacturing data [Turton et al.]:

$$\log_{10} PEC = K_1 + K_2 \log_{10} X + K_3 (\log_{10} X)^2$$

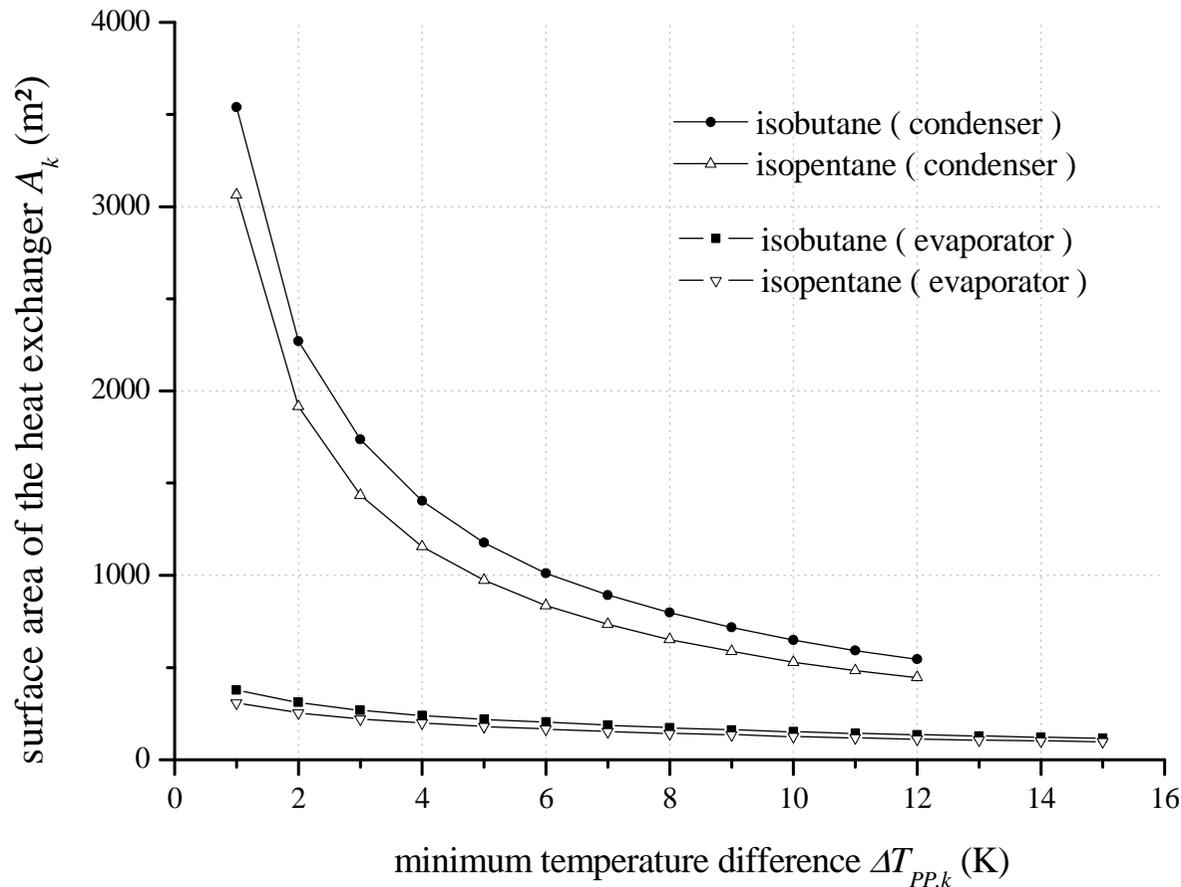
Calculation of heat transfer surface

- Heat exchanger design: ideal counter flow double pipe
- Correction factors according VDI-Wärmeatlas
 - plate heat exchanger → NTU-Method
 - heat transfer coefficient for mixtures [Schlünder], [Shah]



Results

Heat exchange surface as function of temperature difference at the pinch point



→ Higher heat exchange surface in case of the condenser

→ For isopentane about 23 % lower total surface

→ Lower amount of transferred heat and higher heat transfer coefficient due to transport properties

Methods

Exergoeconomic analysis



Cost rates

- Annual capital investment cost rate
- Annual expense concerning operation and maintenance

Exergy costing

- Cost rate:

$$\dot{C}_i = c_i \cdot \dot{E}_i$$

- Cost balance of each component:

$$\dot{C}_{P,k} = \dot{C}_{F,k} - \dot{C}_{L,k} + \dot{Z}_K$$

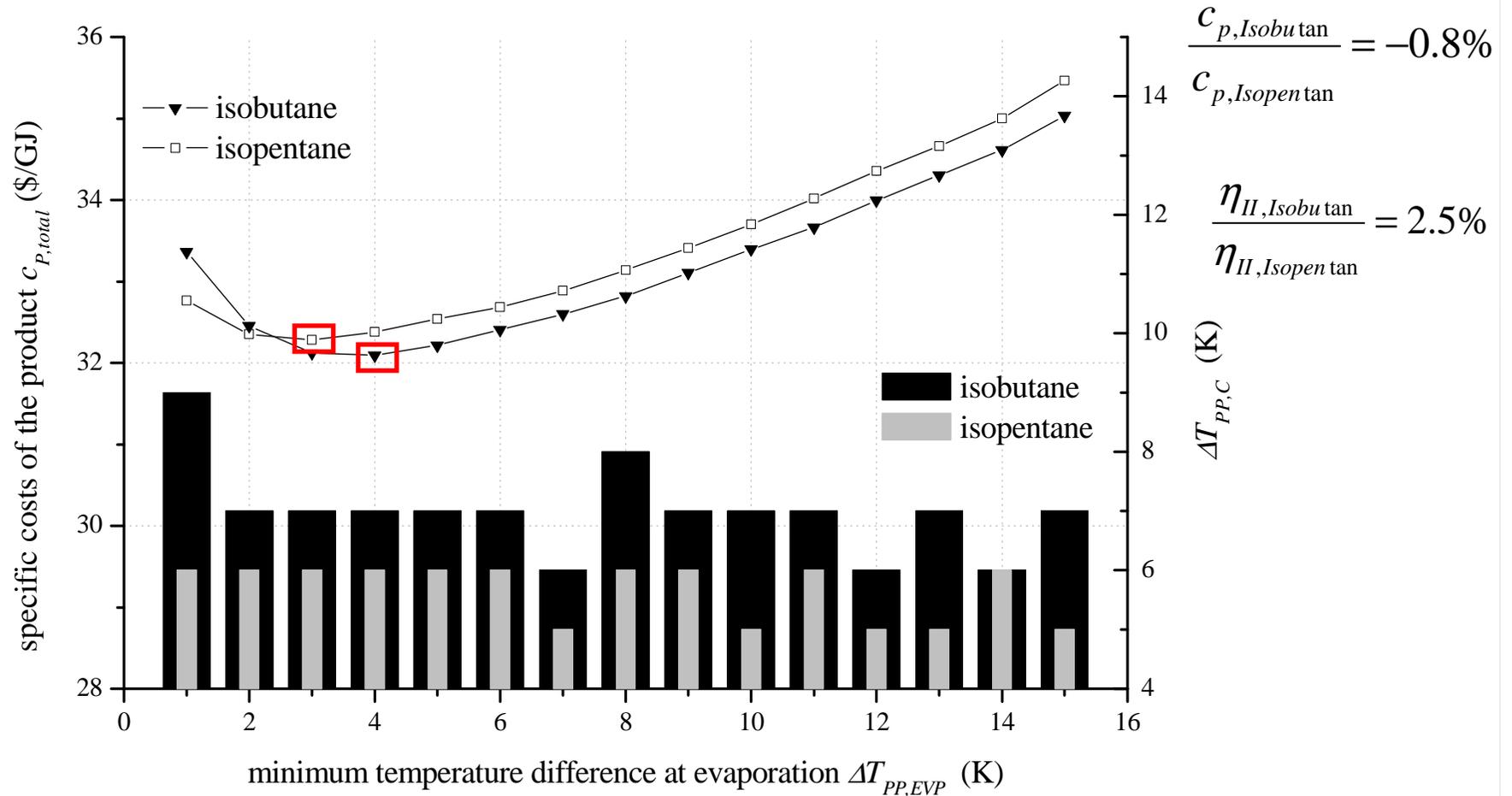
- Total specific cost rate of the product:

$$c_{P,total} = \frac{\dot{C}_{P,total}}{\dot{E}_{P,total}} = \frac{(c_{Fuel,total} E_{Fuel,total} + \sum_K \dot{Z}_K)}{\dot{E}_{P,total}}$$



Results

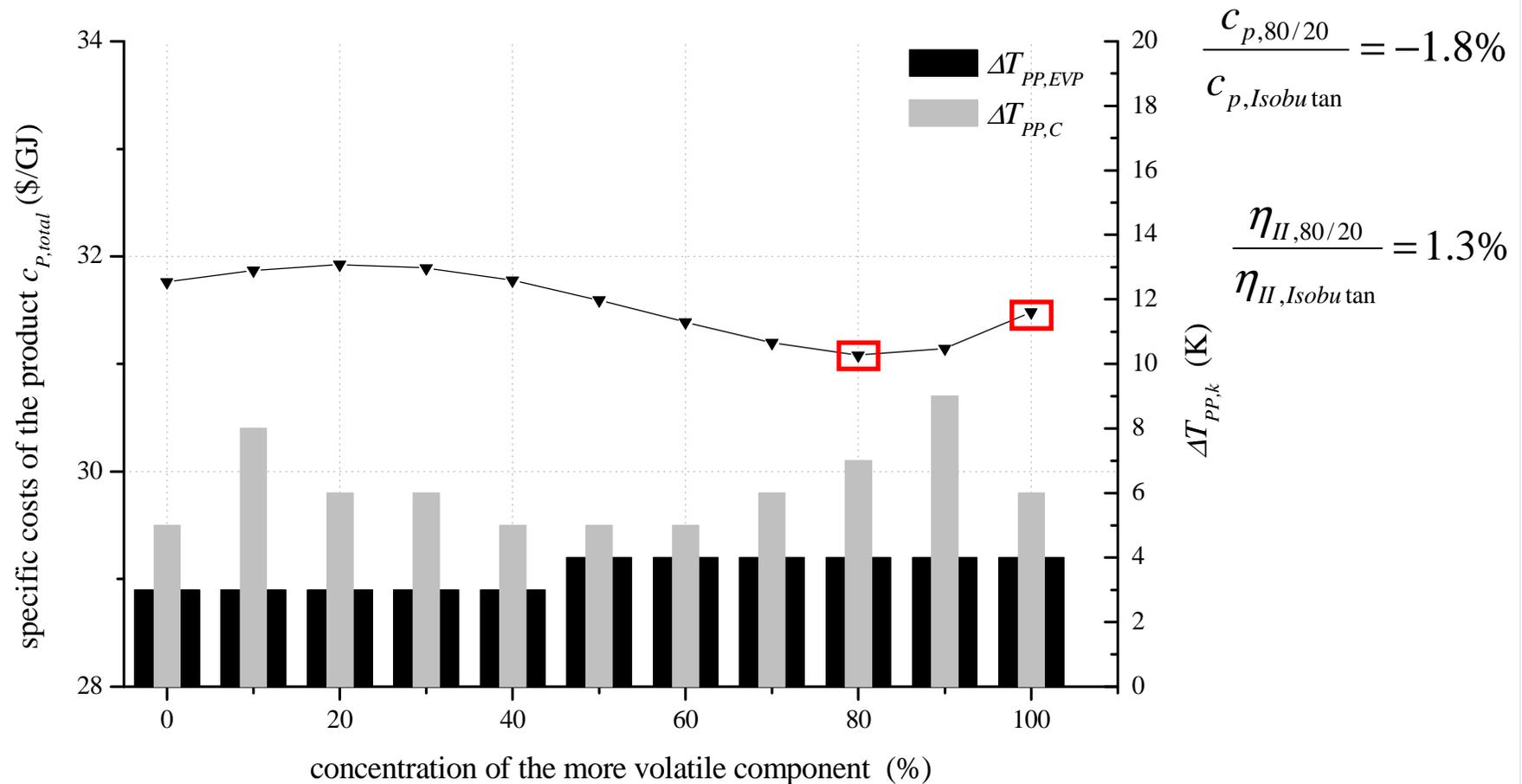
Total specific cost rate of the product -
Pure working media



Results

Total specific cost rate of the product - Fluid mixtures

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Summary

- A case study of a geothermal ORC power plant was performed.
- Exergoeconomic analysis permits the identification of optimal process parameters.
- Isobutane leads to 0.8 % lower specific costs compared to isopentane.
- The use of zeotropic mixture decreases the specific costs up to 1.8 %.
- Results would differ significantly, if a constant temperature difference was assumed.

Further work

- Calculation of shell and tube heat exchanger (according to VDI-Wärmeatlas)
- Using EconExpert for economic data
- More detailed analysis concerning turbine design and costs.
- Thermoeconomic evaluation each component

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Thank you

